

DYNAMICS AND STRUCTURE OF GALAXIES

GALACTIC ASTRONOMY

2.4 Large Scale Galaxy Structure

OVERVIEW

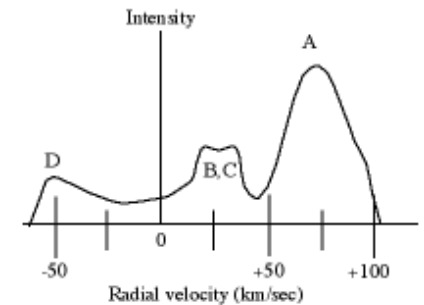
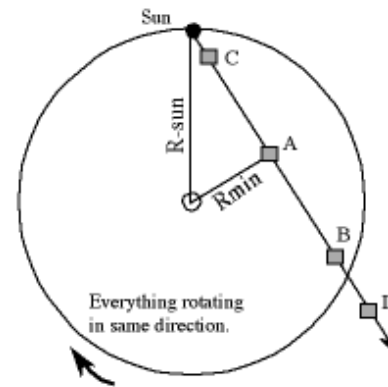
- Large scale distribution of gas & dust
- Large scale distribution of stars

1 – DISTRIBUTION OF GAS - HI

- Most of gas is in the form of atomic (HI) or molecular (H₂) (ionized H is only ~1%)
- HI is generally *optically thin*, unabsorbed by dust
→ Intensity of 21cm line proportional to column density

$$N(\text{HI}) = 1.82 \times 10^{18} \int_{\text{linea}} T_{\text{HI}} \cdot dv \quad \text{cm}^{-2}$$

- T_{HI} [°K] = line intensity
- dv = line width [km/sec]



NOTE: integrate only the dv corresponding to desired cloud along LOS

H₂ AND CO

- H₂ and other molecules live in cold (~10 K) environments
- Molecular clouds are associated to star formation because gas need to be cold enough in order to collapse
- Unfortunately, H₂ does not produce emission lines at low T
... but ...
we can use CO radio emission lines (2.6 and 1.3 mm)
- CO molecules are excited by collisions with H₂
 - direct correlation between CO and H₂
 - problem 1: density of H₂ ↔ CO emission
 - problem 2: CO optically *thick* → emission depends on T, ρ
 - calibrated using nearby clouds

DISTRIBUTION OF GAS - H₂

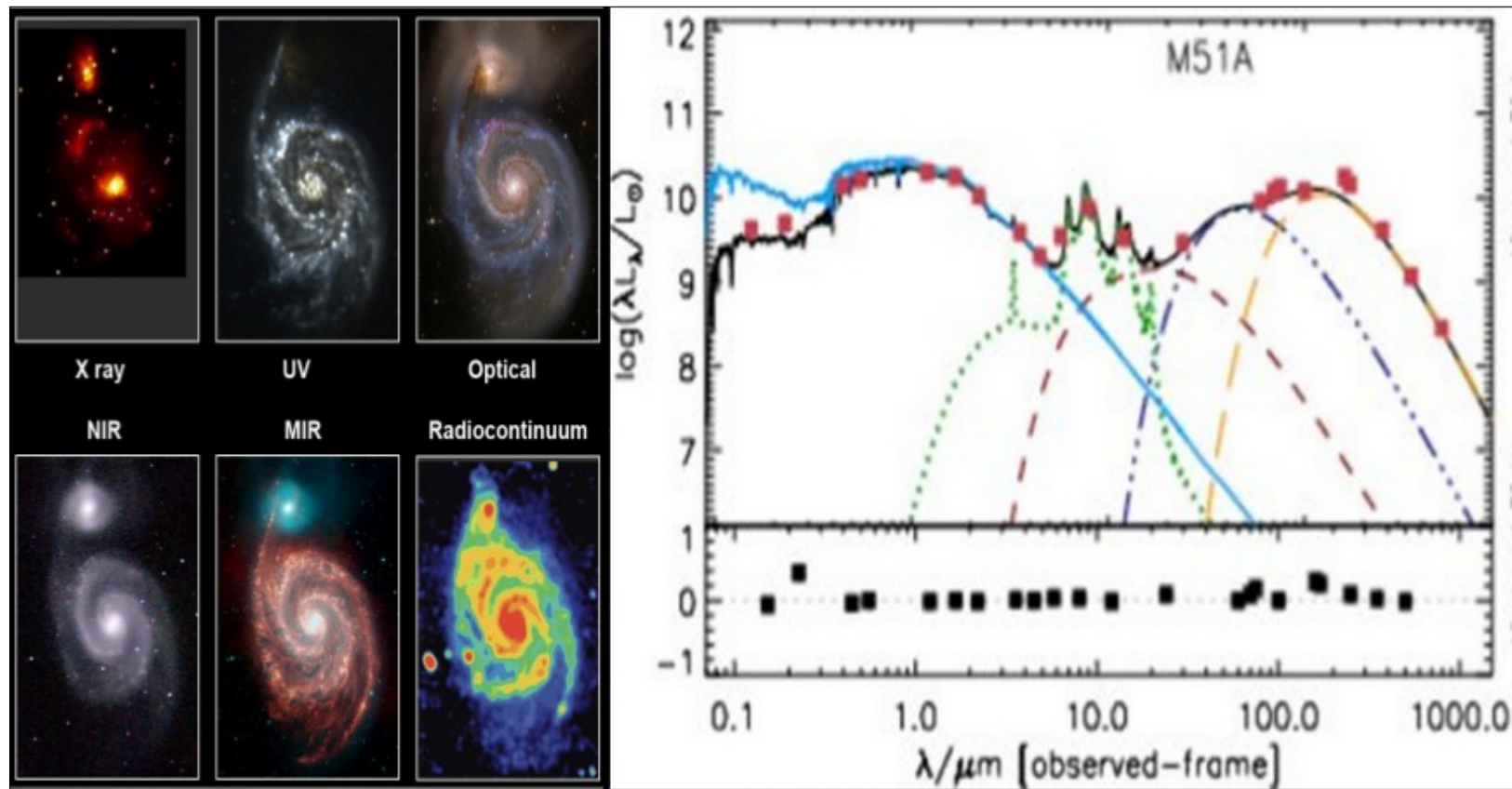
- Calibrated relation:

$$N(H_2) = 1.9 \times 10^{20} \int_{linea} T_{CO} \cdot dv \quad cm^{-2}$$

- Final remarks:
 - HI is more trustworthy than the H₂ ↔ CO
 - CO can be mapped with smaller-dish telescopes (21cm VS. 2.6 and 1.3mm)

DISTRIBUTION OF DUST

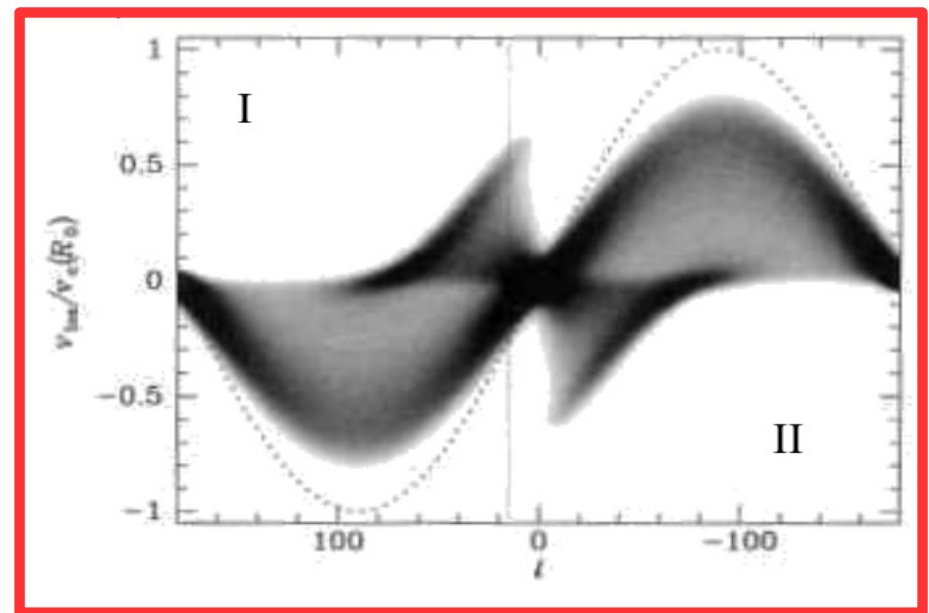
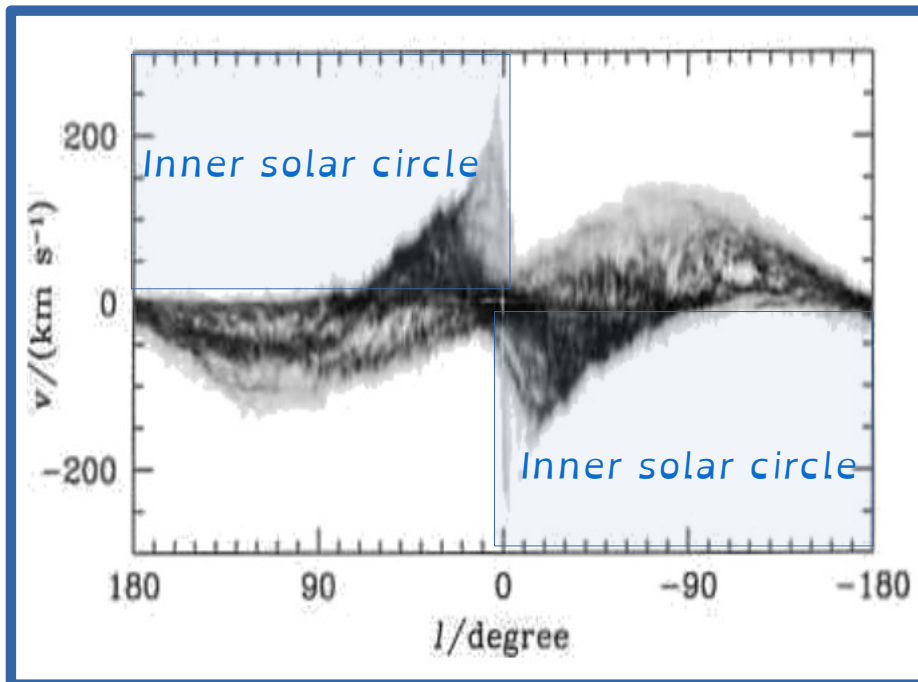
- Dust emission: 10 – 250 μm (dominates for $\lambda > 20 \mu\text{m}$)
- Observation of continuum \rightarrow cannot map accurately



[Lanz et al. (2013)]

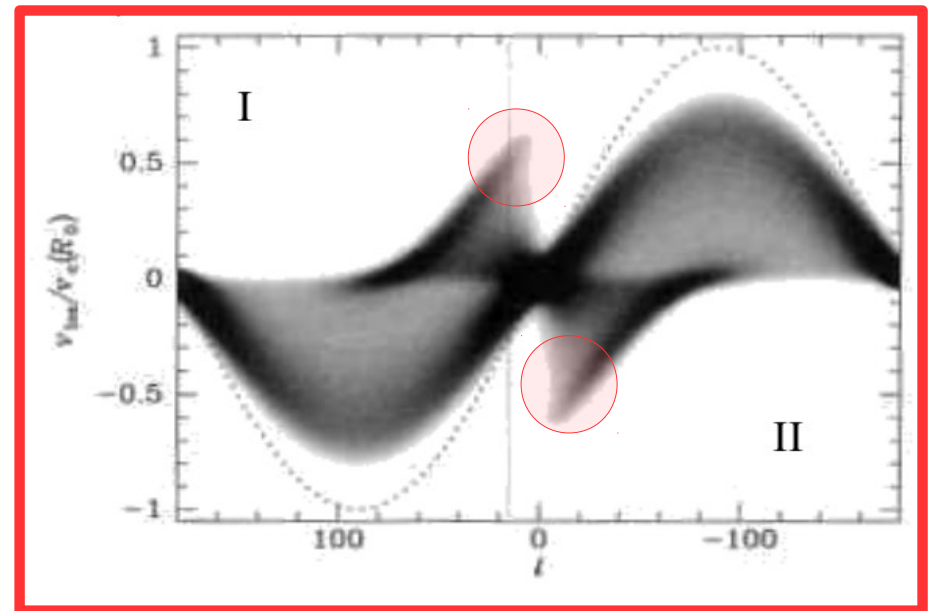
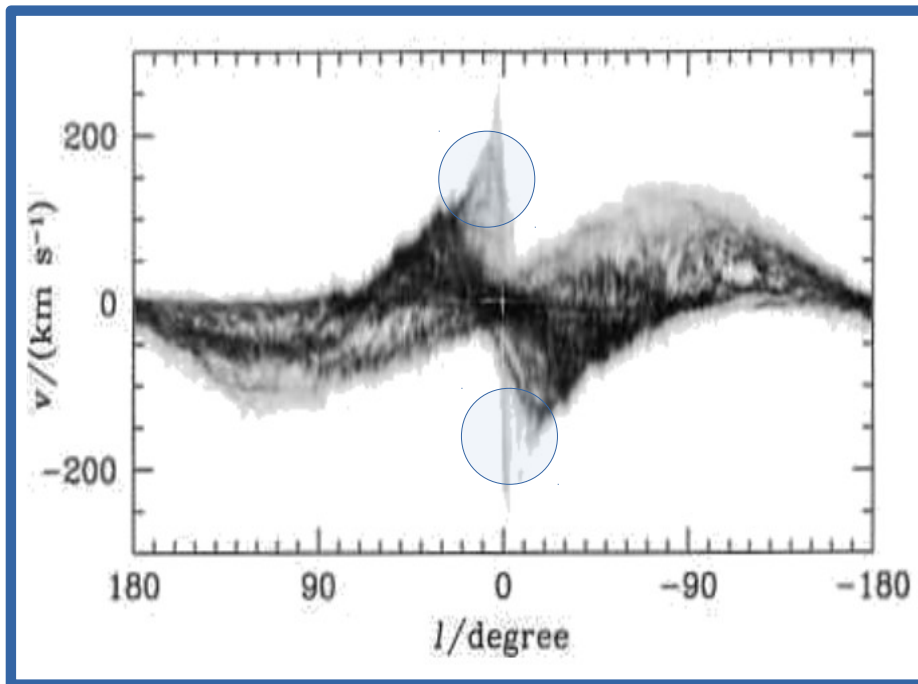
RADIAL DISTRIBUTION - HI

- Let's compare the observed position-velocity (v, l) planes for:
 - **observed** data
 - **simulated** thin disk with circular orbits



RADIAL DISTRIBUTION - HI INNER LIMIT

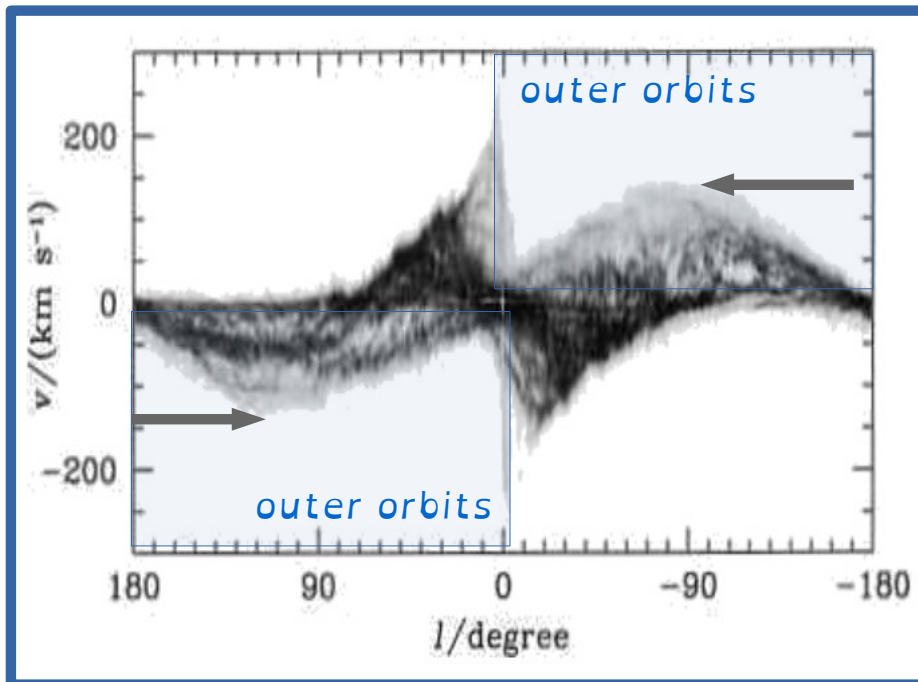
- Starting at $|l| \sim 20$, lack of inner emission w/r to prediction
- Seen from $d \sim 8\text{kpc} \rightarrow |l| \sim 20 \leftrightarrow 3\text{kpc}$
→ there's a “hole” of HI gas of radius $\sim 3\text{kpc}$



RADIAL DISTRIBUTION - HI OUTER LIMIT

- Moving to outer orbits: MAX rotation velocity is ~ 130 km/sec
NOTE: this happens at $|l| \sim 90$, as expected by:

$$v_{LOS} = (\omega - \omega_0) R_0 \sin l$$



- Assuming the outer velocity curve is **CONST** $\sim \Theta_0$:

$$v_{LOS} = \left(\frac{\Theta_0}{R} - \frac{\Theta_0}{R_0} \right) R_0 \sin l$$

$\rightarrow R \sim 21$ kpc
(limit of the HI disk)

HI: 3 kpc \leftrightarrow 21 kpc

GAS MASS DISTRIBUTION - METHOD

- By measuring $T_{\text{HI}}(v,l)$ we can retrieve a cloud's column density:

$$N(\text{HI}) = 1.82 \times 10^{18} \int_{\text{linea}} T_{\text{HI}} .dv \quad \text{cm}^{-2}$$

- From the rotation curve $\rightarrow R$ at (v,l)
- We can then plot the surface density ($T_{\text{HI}}(v,l) \rightarrow N$) VS. R
(we will actually plot the surface brightness instead of N)

RADIAL MASS DISTRIBUTION FUNCTION

- By repeating ad different radii:

- **HI** : 3 – 21 kpc

- **H₂** : 4 – 14 kpc (*molecular ring*)

Total mass obtained integrating:

$$M(r) = \int_0^r \Sigma(r) dS = \int_0^r \Sigma(r) \cdot 2\pi r \cdot dr$$

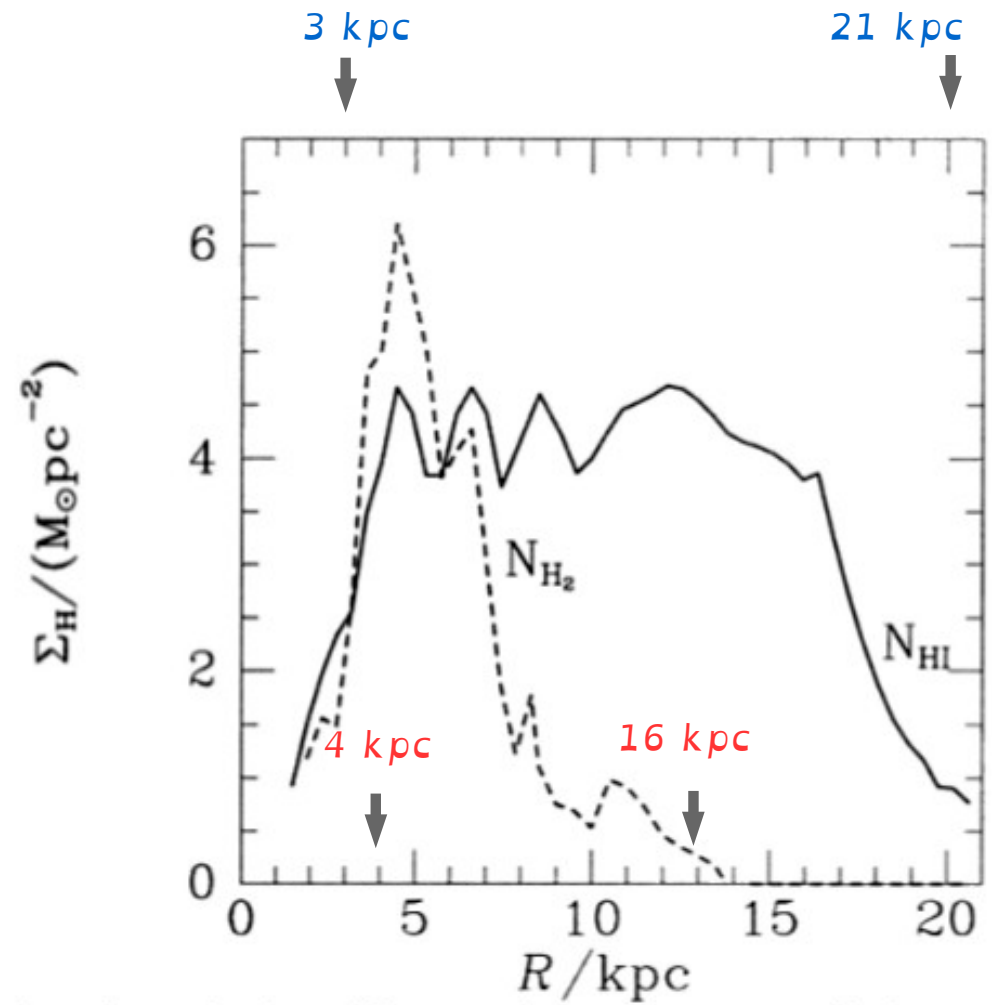
→ **HI** ~ 4 x 10⁹ M_{SUN}

→ **H₂** ~ 1 x 10⁹ M_{SUN}

NOTE: The integral is performed on circular annulus

→ most of **HI** (80%) is **outside** R₀

→ most of **H₂** (80%) is **inside** R₀

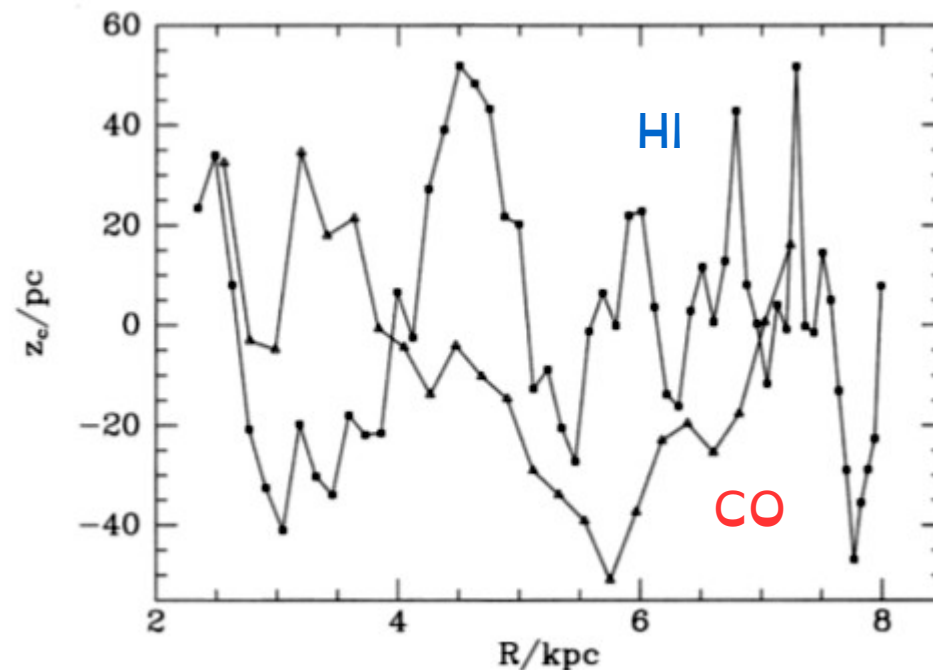


VERTICAL GAS DISTRIBUTION

- The rotational velocity of disk at $|z| > 0$ is very similar to $z = 0$
→ it's like a series of concentric cylinders
- We define:
 - z_c = disk height corresponding to MAX emission for given R
 - $z_{1/2}$ = disk height at which the intensity falls to half z_c
- We will consider $R > 3$ kpc (inside the disk is influenced by bar)

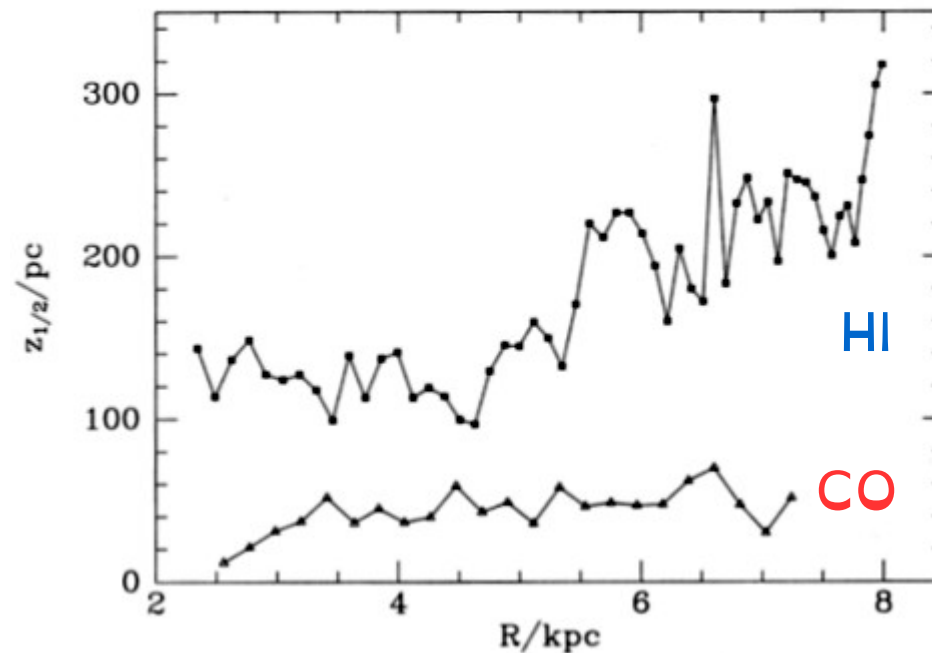
VERTICAL GAS DISTRIBUTION - EMISSION PEAK

- Both **HI** & **CO** oscillate around $z_c = 0$ → defines a plane
- Oscillation $\sim 30\text{pc}$ ($<1\%$ R_0) → gas disks are *extremely planar*
- Oscillations of **HI** & **CO** correlate → dynamical process [unclear]



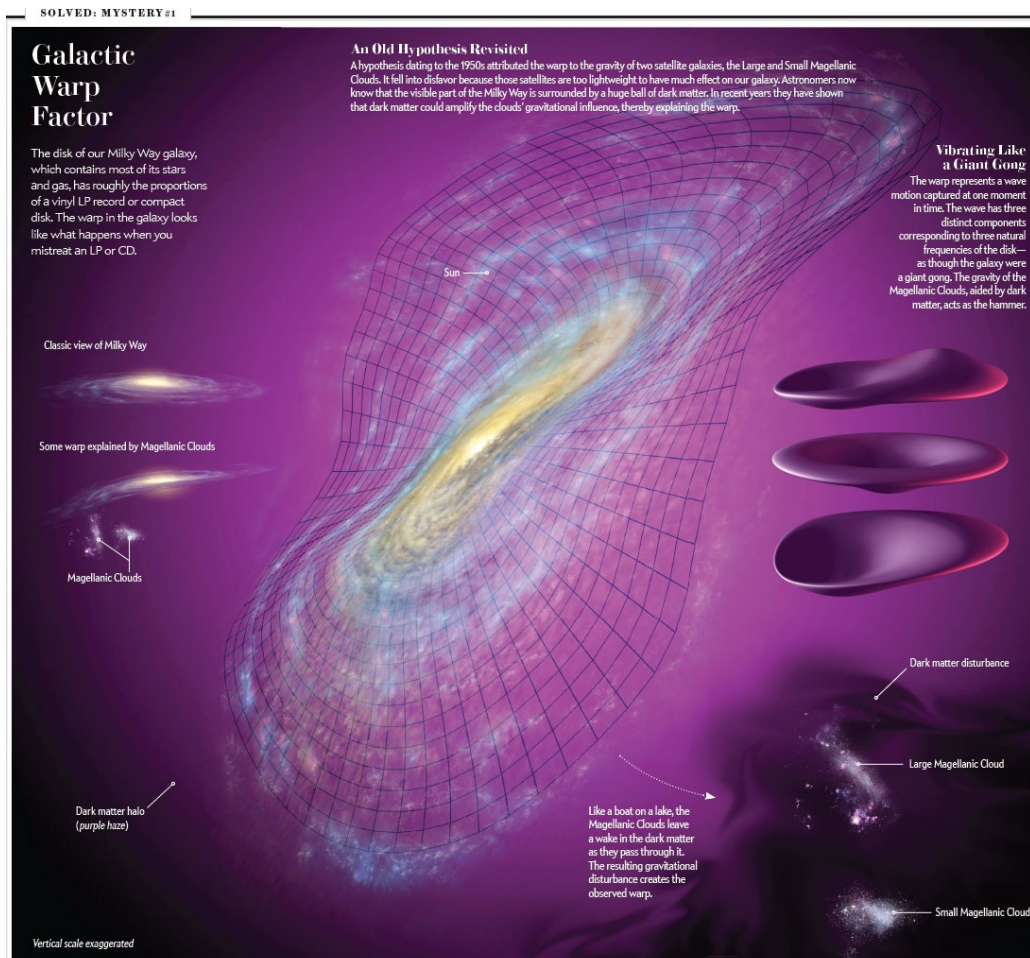
VERTICAL GAS DISTRIBUTION - VERTICAL SCALE LENGTH

- Thickness $z_{1/2}$ increases monotonically
- For $R < R_0$ gas disk is extremely thin (HI: ~ 150 pc / 8 kpc $\sim 2\%$)
- Thickness is due to: vel. dispersion, magnetic fields, cosmic rays



VERTICAL GAS DISTRIBUTION - OUTER DISK

- Outer disk is characterized by a *warp*



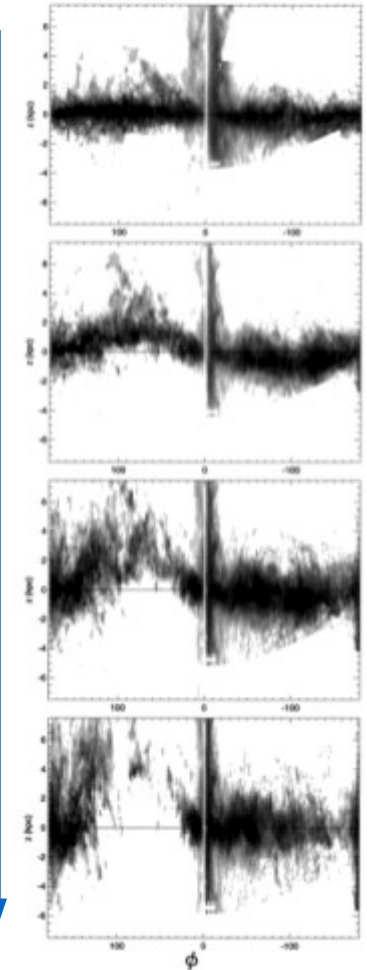
WARP – OBSERVATIONAL EVIDENCE

- We can separate the concentric “cylinders” along galactic R:
- Observationally, from the galactic center:
 - Increasing sinusoidal amplitude
 - Functional approximation:
(*sinusoidal expansion*)

$$z_c = \frac{(R/\text{kpc}) - 11}{6} \sin \phi + 0,3 \left(\frac{(R/\text{kpc}) - 11}{6} \right)^2 (1 - \cos 2\phi)$$

12 kpc

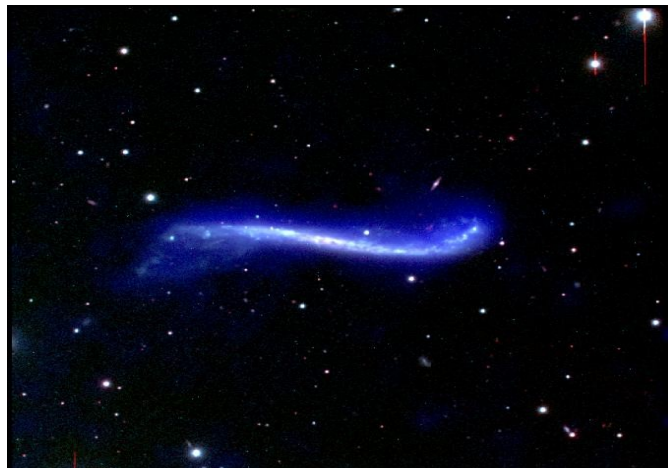
24 kpc



Increasing galactocentric
distance of cylinder

WARPED DISK GALAXIES

- Warped disks are common in disk galaxies



WARP - ORIGIN

- Favored hypothesis is tidal perturbation by nearby dwarf galaxy



→ LMC + SMC [Levine 2006]

→ Sgr dSph [Bailin 2004]

NOTE: LMC: $\sim 10^{10} M_{\text{SUN}}$

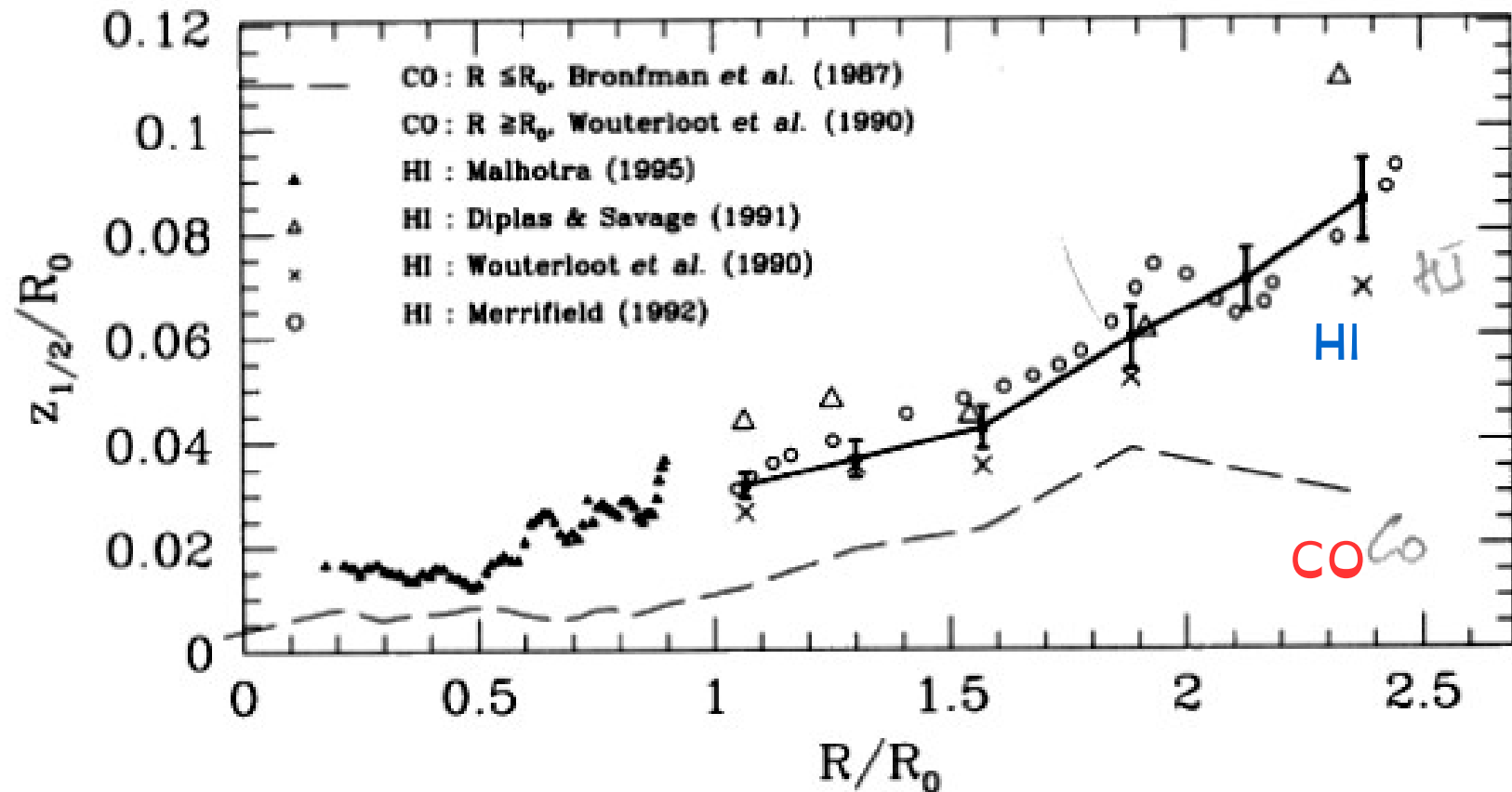
HI: $\sim 10^9 M_{\text{sun}}$

... but there's dark matter

- LMC may excite a wave in the Galactic dark matter halo
- Same effect for inner oscillations?

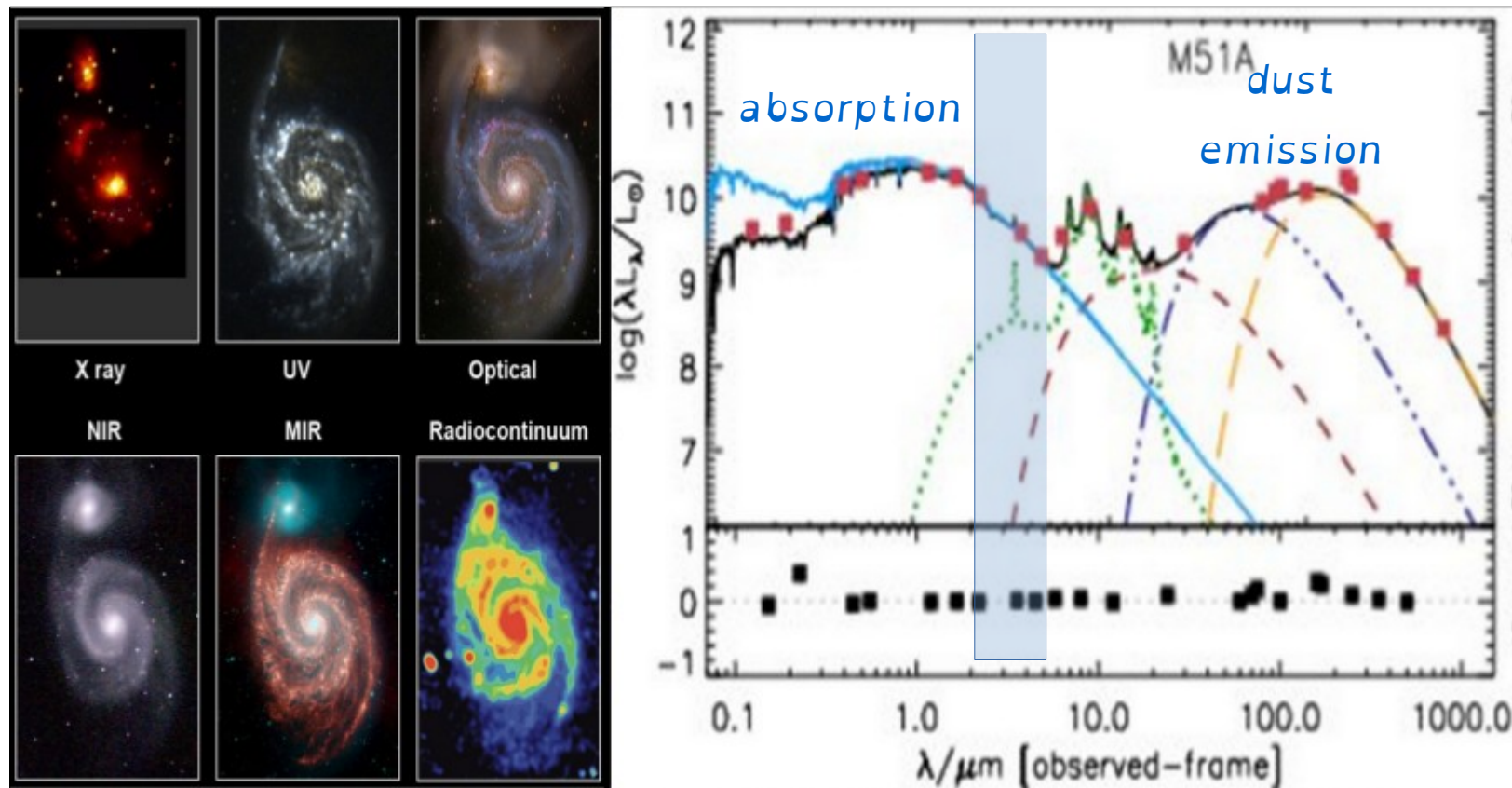
OUTERMOST DISK

- At its outskirts, the disk keeps getting thicker (*flaring*)
→ gravitational pull is weaker there, internal “pressure” prevails



2 – LARGE SCALE DISTRIBUTION OF STARS

- Stellar emission is heavily absorbed by dust
- The ideal “window” to study stars is 2-5 μm



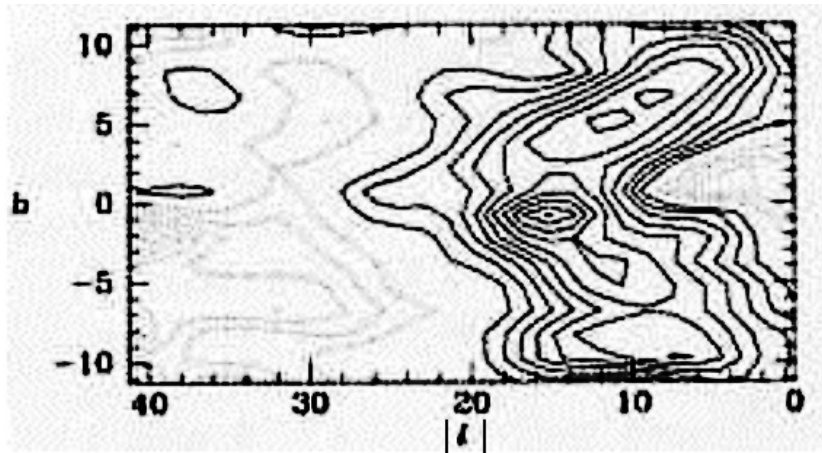
[Lanz et al. (2013)]

GROUND-BASED OBSERVATIONS OF STARS

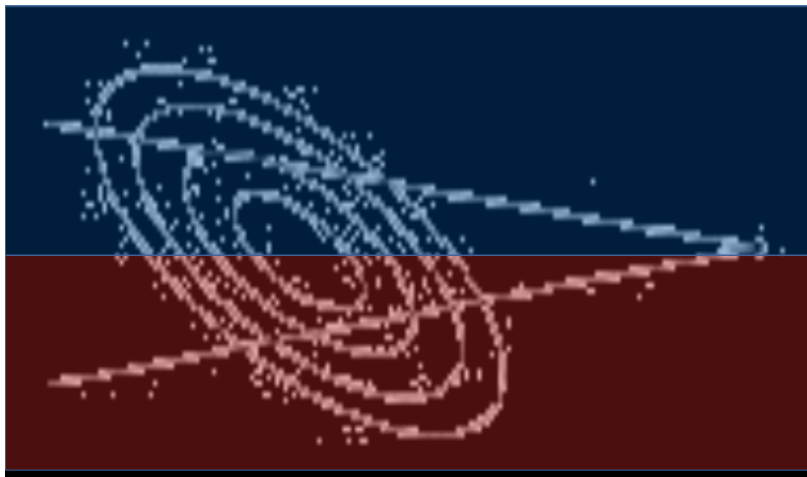
- Dust absorption is significant in Milky Way because along L.O.S.
- Additional issue: atmosphere
 $T_{\text{PEAK}} \sim 300 \text{ K} \rightarrow 10 \mu\text{m}$
(but the emission tail contaminates 2-5 μm)
- Noteworthy ground-base all-sky survey: 2MASS (K-band $\sim 2\text{-}5 \mu\text{m}$)
- Removing sky in near-IR requires specific observation strategy:
(*sky varies on time scales $\ll 1 \text{ min}$*)
 \rightarrow sequence of on-off exposures (1 on target, 1 on nearby sky, etc.)

CENTRAL BAR

- The bulge has the shape of an elongated ellipsoid (bar)

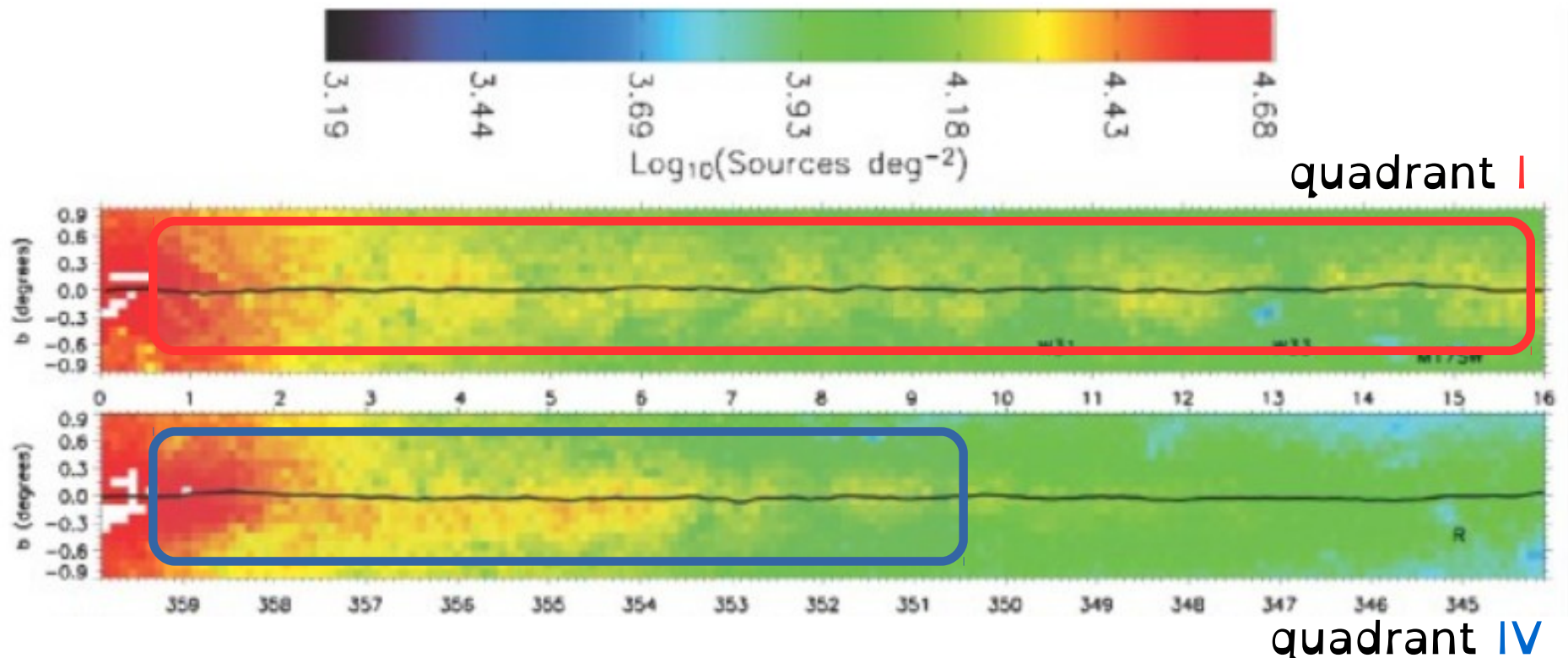


← Ratio between quadrant I and IV



CENTRAL BAR – STELLAR COUNTS

- From stellar counts → density map of #stars/deg²
(*Spitzer* 4.5 μm)
→ emission is more extended in one quadrant → bar

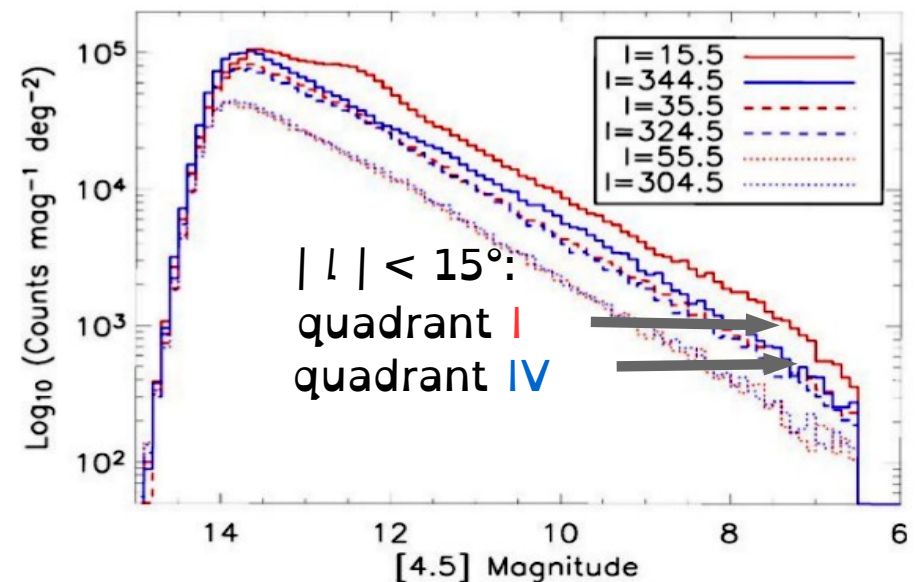


CENTRAL BAR – STELLAR COUNTS

- Alternative view: apparent magnitude function at different l
- Indications for bar:
 - $|l| < 15^\circ$: asymmetric stellar counts (+ bump)
 - $|l| > 15^\circ$: symmetric stellar counts
- quadrant I has brighter magnitude stars → most of stars are closer

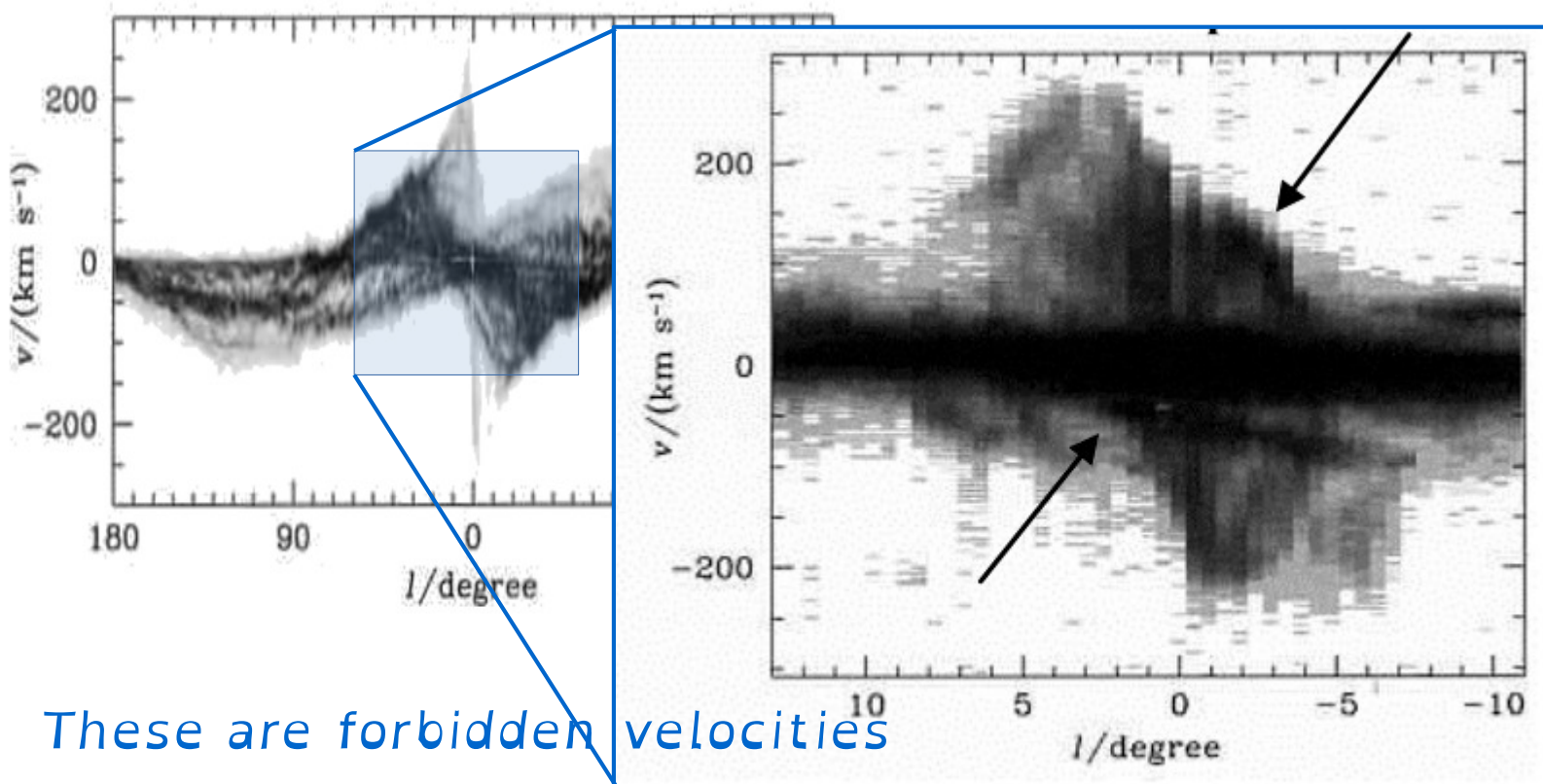
NOTE: Difference is not due to the fact that we miss far away stars

In fact we know the luminosity of red clump giants → we can calculate:
completeness limit ~ 14 mag



CENTRAL BAR – COMPARISON WITH HI

- Spitzer: $R_{\text{BAR}} \sim 4.4$ kpc, inclination $\sim 44^\circ$ (w/r to $l = 0$)
- How does it compare to HI ?

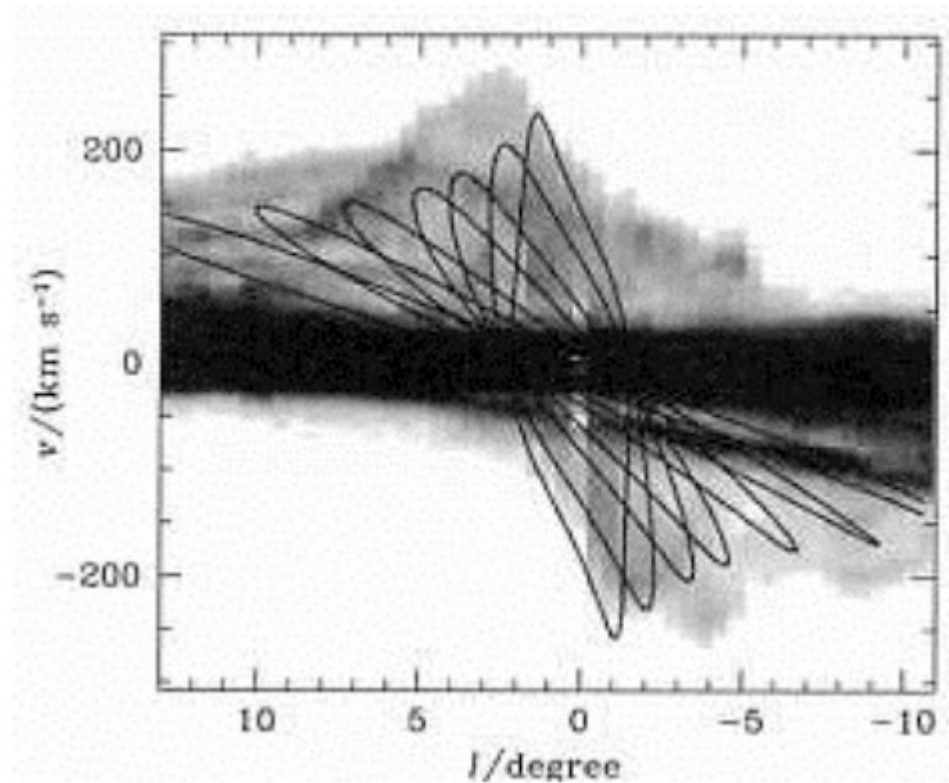


These are forbidden velocities

(should not be in this quadrant in case of circular orbits)

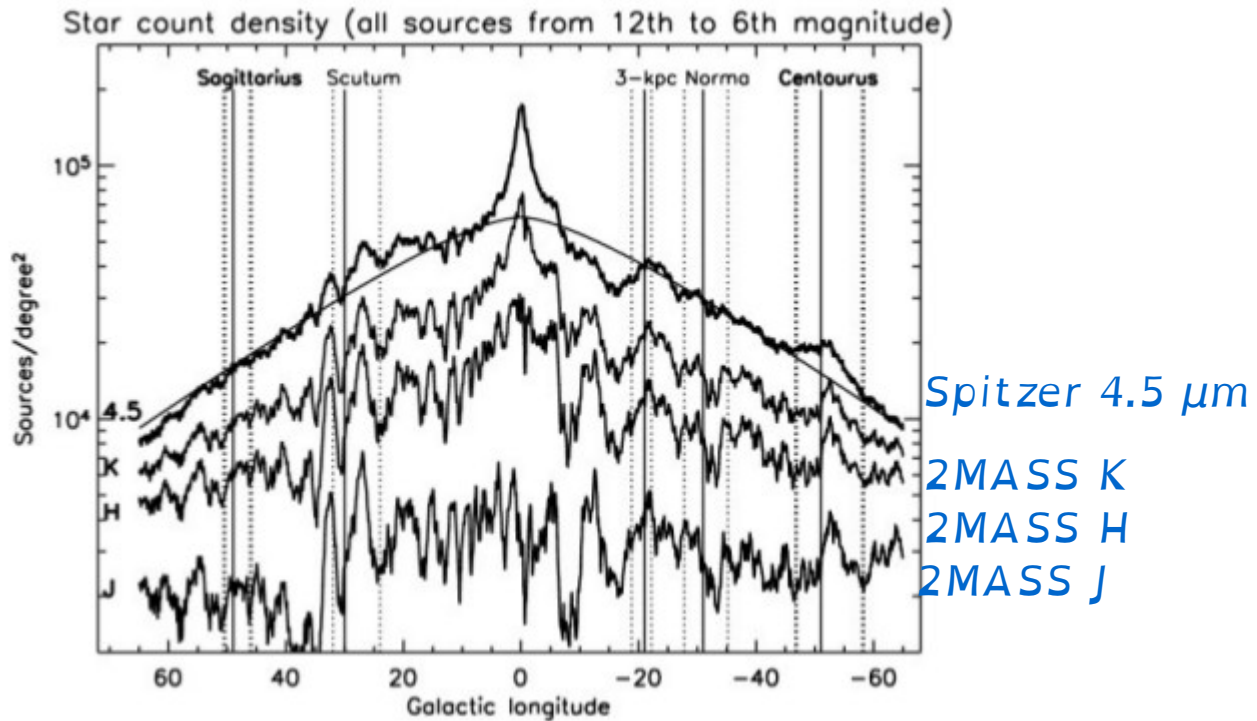
CENTRAL BAR – COMPARISON WITH HI

- Forbidden vel. \rightarrow non-circular orbits / non-axisymmetric potential
- Consistent with orbits in a triaxial potential (bar):



RADIAL STRUCTURE

- Radial stellar count:



- Fit compatible with an exponential profile:

$$I_d \propto \exp\left(-\frac{r}{3.9\text{kpc}}\right)$$

RADIAL STRUCTURE – SPIRAL ARMS

- The spiral arms are visible in the star counts as well

NOTE: Sun lies on a “short” arm, probably a “spur” of an other arm

